

DOES THE NUMBER OF DISCRETE CHOICE ALTERNATIVES MATTER FOR STATED PREFERENCES?



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Stated preference methods

- Used to determine public's preferences, especially towards non-market goods
- Survey-based
- Provide estimates of benefits for cost-benefit analysis
- Help in effective allocation and management of resources
- BUT much skepticism whether survey responses reflect actual preferences

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When do people answer truthfully in stated preference surveys?

Conditions for incentive compatibility

(Carson and Groves 2007, Vossler et al. 2012, Carson et al. 2014)

Incentive compatibility = Revealing true preferences is the respondent's optimal strategy.

1. The survey is seen as a take-it-or-leave-it offer.
2. The survey involves a yes-no answer on a single project.
(the Gibbard-Satterthwaite theorem)
3. The authority can enforce payment (coercive payment).
4. The survey is perceived as consequential: Respondents believe that
 - their responses will influence decisions related to the outcome in question,
 - they will be required to pay for that outcome if it is implemented.

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Later advancements:

- A sequence of questions (Vossler et al. 2012)
- Open-ended format (Holladay and Vossler 2016)

Should we care about the conditions for incentive compatibility?

- Are they important in practice?
- The vast majority of field stated preference surveys do not satisfy the conditions.
- The conditions place important limitations on the survey design.
- Trade-off between incentive compatibility and statistical efficiency.
- BUT our literature review of validity tests of the stated preference methods (Zawojka and Czajkowski, 2015) suggests that:
 - when the conditions are fulfilled, no divergence between stated preferences and true preferences is observed;
 - when they are not fulfilled, many studies report divergence.

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Does the number of choice alternatives matter?

Random Utility Model (McFadden, 1974)

FOUNDATION OF PREFERENCE MODELLING BASED ON DISCRETE CHOICE DATA

- Utility of consumer n from choosing alternative j in choice task t (U_{njt}):

$$U_{njt} = \alpha c_{njt} + bX_{njt} + e_{njt}$$

monetary
attribute

non-monetary
attributes

error term (deviations from the
mean parameters' estimates)

- A consumer derives utility from:

observable characteristics
of the good

and

unobservable factors
(random component)

Evidence on the role of the number of alternatives

Against the use of multiple alternatives

Xu et al. (2013)	Lab	In three-alternative tasks respondents choose their <u>second most preferred option</u> (private good).
Hensher (2004)	CAPI	The more complex the design, the <u>higher</u> stated values of travel time savings.
Hensher (2006)	CAPI	The more alternatives, the <u>higher</u> stated values of travel time savings (when not controlled for other design dimensions).
Rose et al. (2009)	CAPI	As the number of alternatives rises, Australian and Taiwanese respondents increasingly <u>overstate</u> their travel time savings, while Chilean <u>understate</u> .

- Lack of incentive compatibility – rationally no sense in voting for the most preferred alternative if it has no chances to win.
- Increased choice complexity may prompt respondents to avoid making choices at all.

In favor of the use of multiple alternatives

Carson et al. (2011)	Lab	<u>No significant differences</u> in answers to two- and three-alternative tasks.
Collins and Vossler (2009)	Lab	<u>More deviations</u> from the optimal choice in <u>two-alternative tasks</u> than in three-alternative tasks.
Arentze et al. (2003)	Field	<u>No significant difference</u> in the variance of the error term across two- and three-alternative tasks.
Ready et al. (1995)	Field	<u>Better match</u> of stated and true preferences when multiple alternatives used.
Rolfe and Bennett (2009)	Field	<u>More robust models</u> on three-alternative data than on two-alternative. A higher rate of “ <u>not sure</u> ” responses in <u>two-alternative</u> tasks.

- Efficiency gains (more data in a cheaper way).
- More alternatives increase the chances to find a satisfactory option, which makes the choice easier.

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Possibly a non-linear impact of the number of alternatives

Evidence on the optimal number of alternatives

On the theoretical basis

- Kuksov and Villas-Boas (2010)
- Many alternatives – a consumer has to engage in many searches to find a satisfactory fit; it may be too costly and make the consumer defer taking a choice.
 - Few alternatives – a consumer may not search, fearing that an acceptable choice is unlikely, and does not make a choice at all.

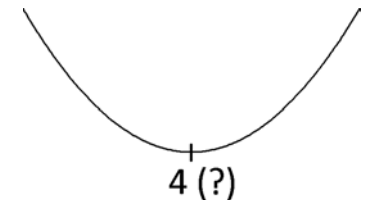
On the empirical basis

Caussade et al. (2005)

DeShazo and Fermo (2002)

Meyerhoff et al. (2014)

A U-shaped pattern of the variance of the error term – up to a threshold number of alternatives (usually 4), the variance decreases and later increases.



OUR RESEARCH QUESTION










Does the number of alternatives matter for stated preferences?

With respect to the two aspects:

1. Do **willingness to pay** (WTP) estimates derived from two- and three-alternative responses differ?
2. Does **the variance of the error term** in the utility function differ for the estimates based on two- and three-alternative data?

Our discrete choice experiment










- A mail survey among residents of Milanowek (a city in the agglomeration of Warsaw, Poland)
- A hypothetical scenario: improvement of tap water quality in Milanowek

	No change	Option 1	Option 2	Attribute levels
Iron	As today 	50% lower 	75% lower 	Reduction by 50%, 75%, 95%
Hardness	As today 	50% lower 	33% lower 	Reduction by 33%, 50%
Chlorine	As today 	80% lower 	As today 	Reduction by 80%
Additional cost per month for your household	0 zł	10 zł	70 zł	
Your choice	<input type="checkbox"/>	<input type="checkbox"/>	<input type="checkbox"/>	

- Split sample design:
 - Two-alternative treatment – 403 respondents
 - Three-alternative treatment – 401 respondents
- 12 choice tasks per respondent

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Your choice	<input checked="" type="checkbox"/> Status quo	<input type="checkbox"/>	<input type="checkbox"/>	

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Two- and three-alternative samples – do they differ?

- Wilcoxon-Mann-Whitney test of equality of distributions

	Sample means		p-value
	2 alt	3 alt	
Years lived in Milanowek	32.69	32.68	0.73
Age	51.59	51.36	0.93
Household size	2.841	2.816	0.90
Household members below 18 years old	0.4543	0.4898	0.93
Litres of bottled water consumed per month	22.15	20.84	0.26

- Chi-squared test of equality of proportions

	p-value
Gender	0.14
Education	0.16
Income	0.12

The null hypothesis of equality cannot be rejected.

The samples do not differ with respect to these characteristics.

ECONOMETRIC APPROACH

Generalized Mixed Logit in WTP-space

- Based on the Random Utility Model (McFadden, 1974)
- Discrete choice model in WTP-space with random parameters and scale heterogeneity
- Utility derived by consumer n choosing alternative j in choice task t (U_{njt}):

$$U_{njt} = \delta_n \left(\alpha_n c_{njt} + b_n X_{njt} \right) + \varepsilon_{njt} = \delta_n \alpha_n \left(c_{njt} + \beta_n X_{njt} \right) + \varepsilon_{njt}$$

monetary
attribute

non-monetary
attributes

Gumbel distributed error term
with variance normalised to $\pi^2 / 6$

consumer-specific, log-normally
distributed (random) parameter

consumer-specific, normally
distributed (random) parameters

money-metric marginal utilities
of attributes (willingness to pay)

consumer-specific, normally distributed
scale coefficient – introduces heterogeneity
into the variance of the error term

How do we test the role of the number of alternatives?

Impact on the variance of the error term

$$U_{njt} = \delta_n \alpha_n (c_{njt} + \beta_n X_{njt}) + \varepsilon_{njt}$$

scale coefficient

- Scale – the inverse of the variance of the error term
- Shows how random choices of the respondents are
- The higher the scale, the less random the consumers' choices (more predictable)
- We test if the scale depends on a treatment dummy

Impact on the willingness-to-pay estimates

preference parameters (willingness to pay)
– coefficients on the dummies for each improvement (e.g., reduction of iron by 50%)

Three model specifications

- Model 1 with preference parameters equal for both treatments
- Model 2 with the means of preference parameters interacted with a treatment dummy
- Model 3 with treatment-specific preference parameters

The impact of the number of alternatives

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- Model 3 with treatment-specific preference parameters

The treatment dummy explaining scale – not significant, no significant differences in scale

	Likelihood ratio test statistics	Degrees of freedom	P-value
Model 1 vs. Model 2	2.9017	7	0.8939
Model 1 vs. Model 3	195.9970	107	0.0000
Model 2 vs. Model 3	193.0953	100	0.0000

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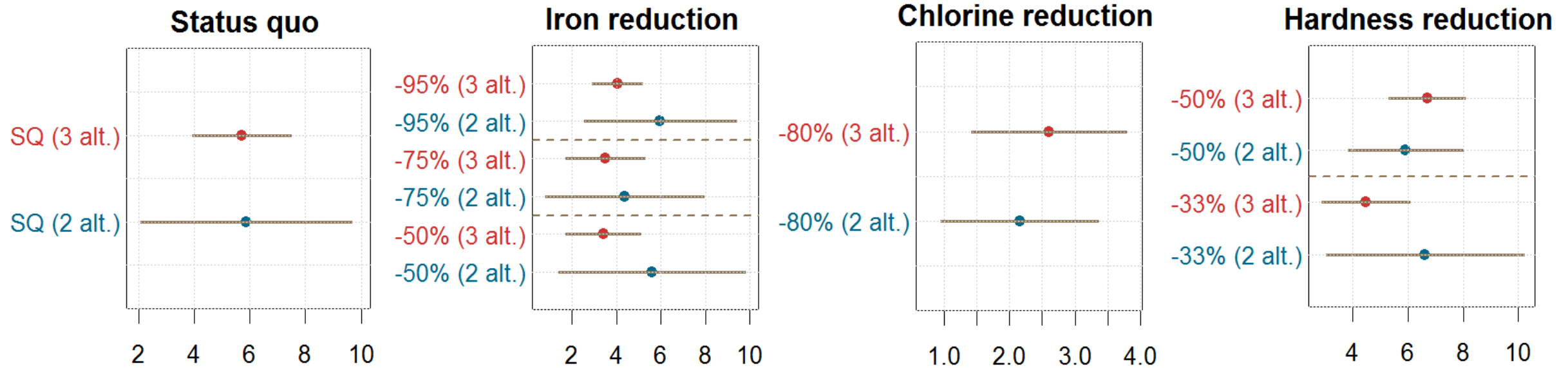
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The impact of the number of alternatives

	Two-alternative treatment		Three-alternative treatment		Model characteristics	
	Mean (SE)	SD (SE)	Mean (SE)	SD (SE)		
Status quo	5.8834*** (1.9195)	7.2904*** (2.3909)	5.7004*** (0.8861)	11.0032*** (1.4410)	Log likelihood	-2878.37
Iron -50%	5.6059*** (2.1168)	5.4310*** (1.8271)	3.3985*** (0.8299)	4.5739*** (0.8180)	McFadden pseudo R ²	0.43
Iron -75%	4.3652** (1.7940)	5.4945*** (1.5515)	3.4969*** (0.8853)	6.6086*** (0.8738)	AIC/n	0.81
Iron -95%	5.9614*** (1.7312)	5.9965*** (1.5079)	4.0400*** (0.5561)	4.6180*** (0.5138)	No. of observations (n)	7497
Chlorine -80%	2.1510*** (0.6100)	5.4932*** (1.1694)	2.5991*** (0.5973)	4.3528*** (0.4201)	No. of parameters	152
Hardness -33%	6.6156*** (1.8176)	7.5041*** (1.9096)	4.4679*** (0.7944)	4.9875*** (0.6936)		
Hardness -50%	5.9210*** (1.0470)	10.1080*** (2.1199)	6.6968*** (0.6900)	5.8320*** (0.5426)		

Do the WTP estimates differ significantly?

Mean WTP estimates with 95% confidence intervals [EUR]



- The intervals for each attribute overlap.
- Narrower intervals for the three-alternative-based estimates.

Do the standard errors differ in the number of alternatives?

- Coefficient of variation of an estimate (VC) = $\frac{\text{Standard error of the estimate}}{\text{Value of the estimate}}$

	VC for the mean		VC for the SD		
	Two-alternative	Three-alternative	Two-alternative	Three-alternative	
Status quo	0.33	0.16	0.33	0.13	
Iron -50%	0.38	0.24	0.34	0.18	
Iron -75%	0.41	0.25	0.28	0.13	
Iron -95%	0.29	0.14	0.25	0.11	
Chlorine -80%	0.28	0.23	0.21	0.10	
Hardness -33%	0.27	0.18	0.25	0.14	
Hardness -50%	0.18	0.10	0.21	0.09	
Cost	1.37	0.44	0.24	0.16	
Average	0.44	>	0.22	>	0.13

- Smaller standard errors of the three-alternative-based estimates.
- Responses to three-alternative choice tasks gives more precise estimates.

Conclusions

- Marginal WTP do not differ significantly across two- and three-alternative choice tasks.
- No significant differences in scale (the variance of the error term in the utility function).
- Three-alternative-based parameter have smaller standard errors. → More precise WTP estimates.

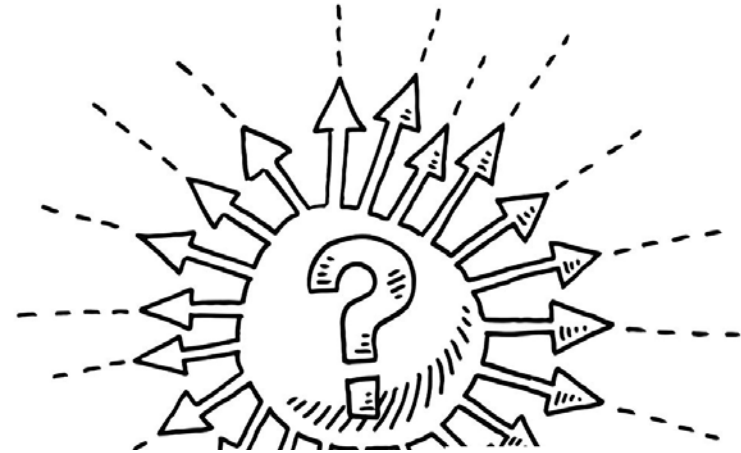
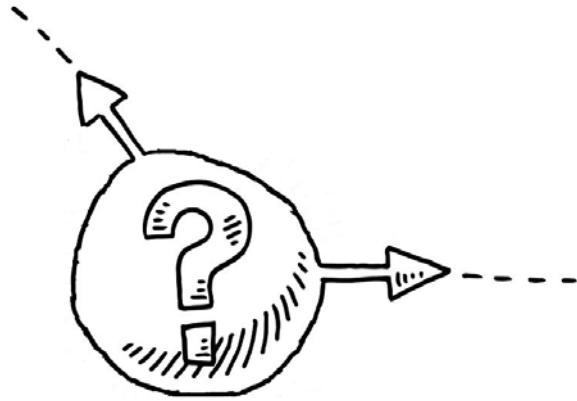


Although the use of two-alternatives questions is theoretically suggested, in a field study we find that **three-alternative choice tasks might provide efficiency gains** in preference modelling, while not biasing the results.



Strategic manipulation in preference disclosure might appear difficult

- under task complexity,
- under uncertainty about preferences of others,
- under uncertainty about the voting rule.



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